Summer Enrichment for Students Entering Eighth Grade



Dear Crusader Families and Friends,

We are providing these summer enrichment activities for children entering grades kindergarten through eighth grade. Working with your child throughout the summer will lessen the likelihood of the "summer slide," which is a phrase used to describe the slide backwards that many children experience in reading and math skills over the summer. You can combat the "summer slide" by encouraging your child to devote a small bit of time each day to keeping up skills.

Countless studies show that reading is one of the single most important things a child of any age can do. Reading strengthens vocabulary, exercises the brain, improves concentration, improves language skills, develops imagination, and helps children to develop empathy.

We hope you find these activities helpful! Take time to preview the activities together. We encourage you to have your child create a summer journal.

Thank you for partnering with us in your child's education!

Sincerely Yours in Christ,

Betsy Davenport

Principal

Holy Cross Catholic School

Math 8

Playing board and card games are a good way to reinforce basic computation skills and mathematical reasoning. Try to play board and card games at least once a week. Some suggested games to play are: Monopoly, Chess, War, Battleship, Mancala, Dominoes, Phase 10, Yahtzee, 24 Challenge, Sudoku, KenKen, Connect Four, and Risk.

Where to Go to Get Help ... or Practice!

During the course of your math work this summer, you may need some assistance with deepening your understanding the skills and concepts. You also might want to get some more practice. Here are some sites you can visit online:

LearnZillion has video lessons on every Math standard. Go to <u>www.LearnZillion.com</u> and search for any math topic or standard.





Khan Academy has helpful videos and self-guided practice problems for every grade level. Go to <u>www.khanacademy.org</u> to get started.

Equations & Expressions: Solve real-life and mathematical problems using numerical and algebraic expressions and equations.

Directions: Read the problem below, then answer the questions.



The Dysons love to give parties. Last Friday, they gave a party and the doorbell rang 15 times. At the first ring, one guest arrived. Each time the doorbell rang after that, two more guests arrived than the time before.

On Saturday, they had another party. At the first ring of the doorbell a single guest arrived, at the second ring two guests appeared, at the third ring three guests and so on. If the doorbell rang 20 times Saturday night, how many guests attended? Was this party bigger than Friday's party? How do you know?

2. Draw a picture to show one way to solve this problem.

3. Create a table to show a second way to solve the problem.

4. Write your answer below and explain how you arrived at your solution.

Math 8

Ratios & Proportions: Analyze proportional relationships and use them to solve realworld and mathematical problems.

Directions: Complete the following three problems to apply your understanding of percentages and ratios.



Problem #1:

Jesse's Awesome Autos advertised a special sale on cars – Dealer cost plus 5%! Quinten and Shapera bought a luxury sedan for \$23,727.90. What was the dealer's cost?

Problem #2:

You and some friends went out to T.G.I. Fridays for dinner. You ordered a root beer, sweet potato fries, and cheese quesadillas. The total bill came to \$21.86. Your dad has told you many times that it's important to leave a good tip; about 20%. You have \$26.00 in your wallet. How much would the total be if you left a 20% tip? Can you cover the cost?

Problem #3:

Builders have observed that windows in a home are most attractive if they have the width to length ratio 3:5. If a window is to be 48 inches wide, what should its length be for the most attractive appearance?

2. Create your own problems.

- Create one original problem involving a percentage (discount or tax).
- Create one original problem involving a ratio or part/whole relationship.
- Solve both and keep the answer key.
- Challenge a friend or family member to solve your problems.

Math 8

Statistics & Probability: Use random sampling to draw inferences about a population.

Directions: Look at the following data set. It shows the heights, in centimeters, of a group of students:

| Student | Height in cm |
|----------|--------------|
| Tamu | 145 |
| Lisa | 136 |
| Michelle | 154 |
| Garnetta | 178 |
| Julius | 164 |
| Valerie | 144 |
| Zeke | 170 |
| Kolby | 183 |
| Beyunka | 144 |



1. Answer the following questions based on the data set above.

What is the mode of the set? _____

What is the range of the set? _____

Whose height is closest to the median height for the set? _____

Whose height is closest to the mean height for the set? _____

. Create a box plot using all of the above data. Give the five-number summary the data displayed in the box plot.

Math 8

Ratios & Proportional Reasoning: Analyze proportional relationships and use them to solve real-world and mathematical problems.

Directions: Solve the following problems.

The students in Ms. Brown's art class were mixing yellow and blue paint. She told them that two mixtures will be the same shade of green if the blue and yellow paint are in the same ratio.



The table below shows the different mixtures of paint that the students made.

| | Α | В | С | D | Ε |
|--------|---------|---------|---------|---------|---------|
| Yellow | 1 part | 2 parts | 3 parts | 4 parts | 6 parts |
| Blue | 2 parts | 3 parts | 6 parts | 6 parts | 9 parts |

a. How many different shades of paint did the students make?

b. Some of the shades of paint were bluer than others. Which mixture(s) were the bluest? Show work or explain how you know.

c. Carefully plot a point for each mixture on a coordinate plane like the one that is shown in the figure. (Graph paper might help.)

d. Draw a line connecting each point to (0,0). What do the mixtures that are the same shade of green have in common?



Geometry: Solve real-life and mathematical problems involving angle measure, area, surface area, and volume.

Directions:

1. Study the diagram and information below.



Angle 1 is vertical with $\angle FPE$. Angle 2 is vertical with $\angle APF$. In each case these pairs of angles form an X.

 $\angle APF$ and $\angle APC$ are supplementary because they form the straight line FC. $\angle APC$ and $\angle CPD$ are supplementary because they form the straight line AD. $\angle APB$ and $\angle EPD$ are vertical. $\angle EPF$ and $\angle EPC$ are supplementary because they form the straight line FC.

2. Find 2-3 real objects in your home or neighborhood that demonstrates one or more of the same relationships expressed in the diagram above. Take pictures of each of the objects you found and either download the pictures



and paste them into an electronic document(s) or create a poster and paste your pictures on the poster. *If you do not have access to a digital camera and source for printing pictures, you may draw a picture of your objects instead.*

3. Finally, label each line, each angle, and each corresponding relationship. Use words to describe the angles and relationships formed by the intersecting lines on your document or poster (as done in the example above).

Math 8

Number System: Apply and extend previous understandings of operations with fractions to add, subtract, multiply, and divide rational numbers.

Directions: Complete the two problems below.

Problem 1:

Using exactly four 4's and any operations or symbols $[+, -, x, \div, (), x^e]$ write an expression to equal each of the following:

**Example*: $16 = (4 \times 4 \times 4) \div 4$



Problem 2:

Find three different ways to fill in operations in the boxes below to make the equations true.

*Hint: Operations include: +, –, x, ÷, ()







Math 8

Expressions & Equations: Solve real-life and mathematical problems using numerical and algebraic expressions and equations.





You have tried many ways to solve problems throughout this Math Summer Packet. Already you know that when one strategy does not lead you to a solution, you back up and try something else. Sometimes you can find a smaller problem inside the larger one that must be solved first. Sometimes you need to think about the information that is missing rather than what is there. Sometimes you need to read the problem again and look for a different point of view. Sometimes you need to tell your brain to try to think about the problem in an entirely different way – perhaps a way you have never used before. Looking for different ways to solve problems is like brainstorming. Try

to solve this problem. You may need to change your point of view.

Directions:

Fishing Adventures rents small fishing boats to tourists for day-long fishing trips. Each boat can only carry 1,200 pounds of people and gear for safety reasons. Assume the average weight of a person is 150 pounds. Each group will require 200 lbs. of gear for the boat plus 10 lbs. of gear for each person.

1. Create an inequality describing the restrictions on the number of people possible in a rented boat. Graph the solution set.

2. Several groups of people wish to rent a boat. Group 1 has 4 people. Group 2 has 5 people. Group 3 has 8 people. Which of the groups, if any, can safely rent a boat? What is the maximum number of people that may rent a boat?

MATH 8 UNIT 1 PREVIEW – Geometry: Understand congruence and similarity using physical models, transparencies, or geometry software.

Directions: Study the graphic below. Use it to complete the following tasks.

Transformations

A change in size, shape, orientation, or position of an object is called transformation.





Math 8

Translation, Rotation, and Reflection





Triangle Reflections Task Sheet

Perform each reflection and name the location of each point for the image.



What are the shortcuts that can be applied to each coordinate?

When reflecting a figure over the x-axis ...

When reflecting a figure over the y-axis ...

Rotations Made Easy!

Look at the images of the figures below after their rotations 180° about the origin. The coordinates are given in the table. Fill in the coordinates of the images after the rotations. Then examine the pairs of coordinates and determine the coordinate mapping rule. Use the coordinate mapping rule to determine what the shortcut is when rotating figures 180° about the origin.



| Quadrilateral ZNKA | Z (-3, 3) | N (-1, 0) |
|--------------------|-----------|-----------|
| Coordinate Manning | Z' | N' |
| Rule: | | |
| (x,y)→(,) | K (2, 0) | A (2, -1) |
| | K' | A' |
| | | |



| Triangle VIIS | V(/ 2) | 11(2 1) |
|-----------------------|-------------|-----------|
| Thangle XUS | ^(-4, -2) | 0(-2, -1) |
| | Χ' | 11' |
| | Χ | 0 |
| | | |
| Coordinate Mapping | | |
| Rule: | S(-5, 3) | |
| | - (- / - / | |
| $(x,y) \rightarrow ($ | S' | |
| | | |
| | | |
| | | |



| Triangle CRS | C(2, -2) | R(0, 1) |
|--------------------|-----------|---------|
| | C' | R' |
| Coordinate Mapping | | |
| Rule: | S(-3, -3) | |
| (x,y)→(,) | S' | |
| | | |

What is the shortcut for rotating figures 180º?

Provide a congruency statement for the rotation of Triangle CRS.

Changing Shapes

Suppose you are going to be designing a logo for a club at your school. To prepare for this project, draw a non-rectangular shape in the coordinate plane so that portions of the shape are in each of the four quadrants. Explain what would happen to your shape if you transformed it using each of the given rules with the center of dilation at the origin.

| a. (4 <i>x</i> , 4 <i>y</i>) | d. (3 <i>x</i> , 3 <i>y</i> + 5) |
|-------------------------------------|----------------------------------|
| b. (0.25 <i>x</i> , 0.25 <i>y</i>) | e. (<i>x</i> + 5, <i>y</i> – 5) |
| c. (2 <i>x</i> , <i>y</i>) | f. (½x, ½y) |

g. Will any of the transformed figures be similar to the original figure? Explain.

h. If you make a new figure by adding 2 units to the length of each side of your shape, will the two figures be similar? Why or why not?

i. Write a general rule for transformations in the plane that produce similar figures.

Changing Shapes

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Math 8 Summing It Up ... TRANSFORMATIONS!

Complete this graphic organizer.

| Congr | Congruence | | Similarity | |
|--|--|--|---|--|
| $\Delta ABC \cong \Delta DEF$ | | | $\sum_{C}^{A} \sum_{B} B$ | |
| Imprecise Language (avoid) The same, equal, "same shape and same size" | | Imprecise Lan Stretch, scaled, expand, "sa | guage (avoid) resized, shrink, ame shape" | |
| Precise Academic Language (use) "corresponding angles equal and corresponding line segments equal" | | Precise Academi "corresponding angles e line segments | Precise Academic Language (use) "corresponding angles equal and corresponding line segments proportional" | |
| Definition A two- dimensional figure is congruent to another if the 2nd can be obtained from the 1st by a combination of translations, rotations, and reflections. | | Definition A two- dimensional figure is similar to another if the 2nd can be obtained from the 1st by a combination of congruence and dilation. | | |
| Prop Congruency Statem | erties ent: $\triangle ABC \cong \triangle DEF$ | Propo Similarity Stateme | erties ent: $\triangle ABC \sim \triangle DEF$ | |
| Corresponding Angles | Corresponding Sides | Corresponding Angles | Corresponding Sides | |
| | $ \begin{array}{c} AB \cong DE \\ BC \cong EF \\ AC \cong DF \end{array} $ | $\angle A \cong \angle D$ $\angle B \cong \angle E$ $\angle C \cong \angle F$ | $\frac{AB}{DE} = \frac{BC}{EF} = \frac{AC}{DF}$ | |
| Examples | | Examples | | |
| Non-ex | amples | Non-ex | amples | |

Complete the table.

| Transformations | What Changes | What Stays the Same |
|-----------------|--------------|------------------------------|
| Translation | | Side lengths, angle measures |
| Rotation | | |
| Reflection | Orientation | |
| Dilation | | |

TRANSFORMATIONS from A to Z

Reflect on what your learned by filling in a word or phrase related to transformations for each letter.

| A | J | S |
|---|---|---|
| В | K | Т |
| С | L | U |
| D | Μ | V |
| E | N | W |
| F | 0 | X |
| G | Р | Υ |
| Н | Q | Z |
| | R | |